

A photograph of two young children, a girl and a boy, sitting at a green table. They are sorting a large pile of colorful buttons into a grey muffin tin. The girl, on the left, is wearing a blue shirt and a plaid skirt. The boy, on the right, is wearing a white shirt. The table is covered with a green cloth, and the background is a wooden floor. The word "Sorting" is written in large, bold, black letters across the center of the image.

Sorting

Need Comparison to Sort

- Given a set of objects, you need to know, for any two objects, a & b
 - is $a < b$, is $a == b$, or is $a > b$
- All sorts are built on comparison
 - Comparable interface : `this.compareTo(that)`
 - returns a negative integer if $this < that$
 - returns 0 if $this == that$
 - returns a positive integer if $this > that$
 - Comparator interface : `compare(this,that)`
 - Typically implemented as a separate independent concrete class
- Java sorts objects which are "comparable", or uses a "comparator" to sort objects.

Collections Sort Methods

- `public static void sort(List<T> list)`
 - T is any type (class) which extends the Comparable interface (e.g. supports "compareTo")
- `public static void sort(List<T> list, Comparator<T> c)`
 - T does not have to implement Comparable
 - "c" must be a Comparator of <T>

Selection sort

Chapter 14.1

- Algorithm:
 - Given a list of elements, find the smallest one
 - Switch the smallest element with the first element
 - Re-apply this algorithm to the remaining items (after the first)

11	9	17	5	12
5	9	17	11	12
5	9	17	11	12
5	9	11	17	12
5	9	11	12	17

Analyzing Selection sort

11	9	17	5	12	4
5	9	17	11	12	3
5	9	17	11	12	2
5	9	11	17	12	1
5	9	11	12	17	10

First Row:

Assume 11 is smallest...

compare 11 to 9, 9 is smaller, so 9 is smallest

compare 17 to 9, 9 is still smallest

compare 9 to 5, 5 is smallest

compare 5 to 12, 5 is smallest

Analyzing Selection sort

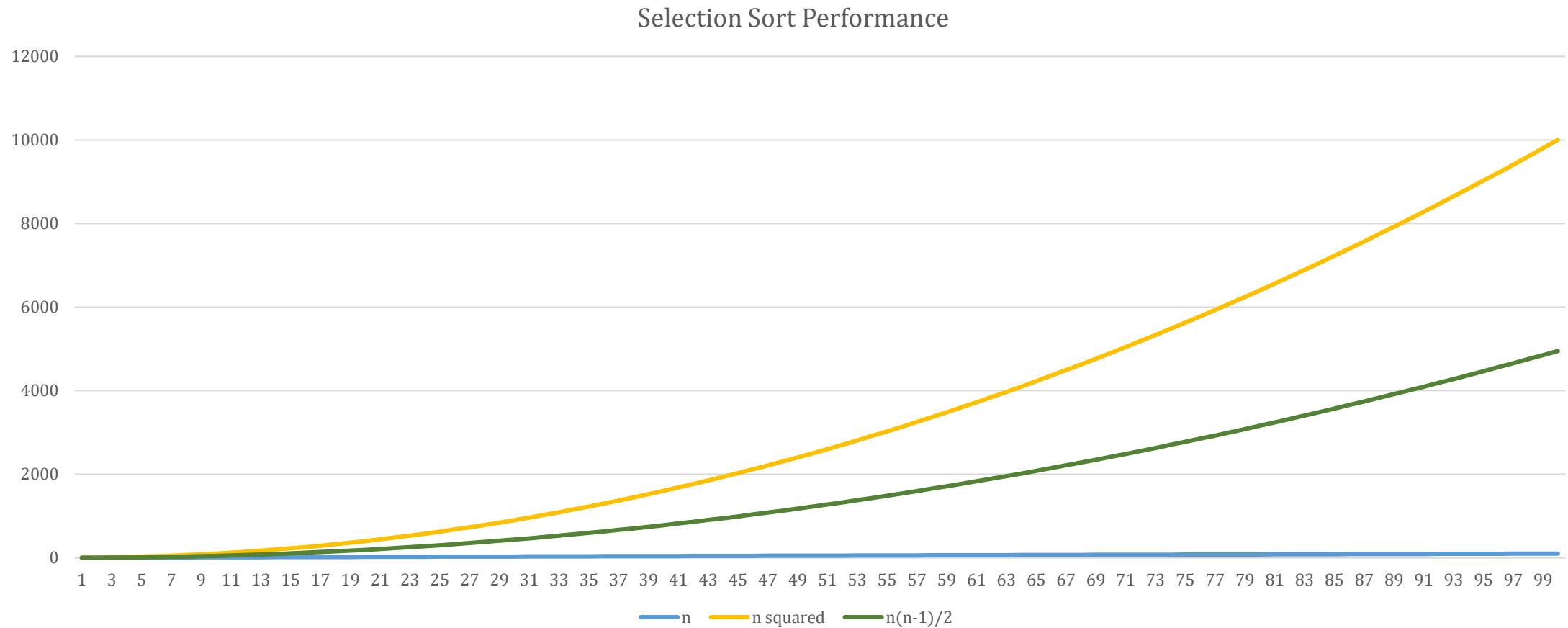
11	9	17	5	12	4
5	9	17	11	12	3
5	9	17	11	12	2
5	9	11	17	12	1
5	9	11	12	17	10

Number of compares
required

Note: No Extra Memory is needed!

$$\sum_{i=1}^{n-1} i = \frac{n(n-1)}{2} = O(n^2)$$

Selection Sort Performance $O(n^2)$



Insertion sort

Chapter 14.2

- Algorithm:
 - Given a list of elements, Assume the first is sorted
 - Insert the next element in the sorted portion at the correct place
 - Repeat with the next unsorted item until the list is sorted
 - Also $O(n^2)$

11	9	17	5	12
9	11	17	5	12
9	11	17	5	12
5	9	11	17	12
5	9	11	12	17

Merge Sort

Chapter 14.4

- Algorithm

- If list size > 1 , split list in two
- Sort (recursively) each sub-list
- Merge the two sorted sub-lists

- Analysis

- Each merge takes $O(n)$ operations
- Need $\log_2(n)$ merges
- Total time: $n \log(n)$

- Merge Needs Extra Memory

- Need an entire copy of the array

